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GIET UNIVERSITY, GUNUPUR – 765022
M. Sc (Third Semester) Examinations, December' 2020
CE 303 / MTPE 303 – Optimization Techniques-I
(Mathematics)

Time: 2 hrs

Maximum: 50 Marks

(The figures in the right hand margin indicate marks.)

- Q.1. Answer **ALL** the questions (2 x 10 = 20)
- Explain the uses of Gomory's Algorithm for pure integer linear programs?
 - What are the uses of Branch and Bound method when compare with other integer methods?
 - Define linear programming problem and give two examples.
 - Write the proof of "If f is differentiable at x belongs to T and x is a local minimal of prob-1 then gradient of $f(x)^T d \geq 0$ for all d belongs to closure of x "
 - Let f be a pseudo convex function on a open convex set T is subset of R^n , Also let gradient of $f(x) = 0$ for some $x \in T$, then x is global minimum of f over T .
 - Max $Z = 10x_1 + 8x_2$
Subject to $15x_1 + x_2 \leq 5$, $x_1 + 20x_2 \geq 6$, $2x_1 - 21x_2 \geq 16$; $x_1, x_2 > 0$.
Introduce slack, surplus and artificial variables for given constraints.
 - Define Hessian Matrix. Give two examples
 - What are the differences between Lagrange's method and Kuhn-Trucker conditions?
 - In game theory, what is role of minimax and maximin principle. Explain the uses of it?
 - Define convex programming problem and convex set. Give one example each.

PART – B (6 x 5 = 30 Marks)

- | <u>Answer ALL the questions</u> | Marks |
|---|-------|
| 2. Write the step by step working procedure of Gomory's Algorithm for pure integer linear programs? | (6) |
| 3. Solve the following LPP using graphical method
Maximize $Z = 6X_1 + 8X_2$
Subject to $5X_1 + 10X_2 \leq 60$, $4X_1 + 4X_2 \leq 40$ and $X_1, X_2 \geq 0$. | (6) |
| 4. Solve the non linear programming problem by using Lagrange's multiplier method
Maximize $Z = 5X_1 - 3X_1^2 + 6X_2 - 2X_2^2$
Subject to $2X_1 + 3X_2 = 12$. | (6) |
| 5. Solve the following LPP using dual Simplex method
Maximize $Z = 6X_1 + 8X_2$
Subject to $5X_1 + 10X_2 \leq 60$, $4X_1 + 4X_2 \leq 40$ and $X_1, X_2 \geq 0$ | (6) |
| 6. Write the proof of "Every local minimum of the convex programming is a global minimum". | (6) |

7. Explain the proof of “The set of all optimal solutions to the convex programming is convex”. (6)
8. Consider the 4x4 game played by players A and B as shown in below matrix. Solve it optimally. (6)

		player B			
		1	2	3	4
player A	1	4	2	8	10
	2	6	2	-1	9
	3	5	7	8	2
	4	3	6	5	7

9. Write the step by step procedure of Dominance principal? (6)

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