



## GIET MAIN CAMPUS AUTONOMOUS GUNUPUR – 765022

B. Tech Degree Examinations, November – 2021

(Seventh Semester)

BEEPE7041 – ADVANCED CONTROL SYSTEMS

(EEE)

Time: 3 hrs

Maximum: 100 Marks

**Answer ALL Questions****The figures in the right hand margin indicate marks.****PART – A: (Multiple Choice Questions)****(2 x 10 = 20 Marks)****Q.1. Answer ALL questions**

- |   |   |       |       |
|---|---|-------|-------|
|   |   | [CO#] | [PO#] |
| a. Aliasing is caused when:   |   | [CO2] | [PO1] |
| (i) Sampling frequency must be equal to the message signal  | (ii) Sampling frequency must be greater to the message signal               |       |       |
| (iii) Sampling frequency must be less to the message signal   | (iv) Sampling frequency must be greater than or equal to the message signal |       |       |
| b. Inverse z-transform of the system can be calculated using:   |   | [CO2] | [PO1] |
| (i) Partial fraction method   | (ii) Long division method   |       |       |
| (iii) Basic formula of the z-transform  | (iv) All of the mentioned   |       |       |
| c. The sum of the Eigen values in the given matrix is:  |   | [CO1] | [PO1] |
| (i) The sum of all non-zero components in the matrix  | (ii) Sum of the elements of any row   |       |       |
| (iii) Sum of the elements of any column   | (iv) Sum of the principal diagonal elements                                 |       |       |
| d. Consider a LTI system described by the given differential equation:  |   | [CO1] | [PO2] |
| $\frac{d^2 a(t)}{dt^2} + 3 \frac{d a(t)}{dt} + 2a(t) = r(t)$  |   |       |       |
| Where a(t) is the output. The Eigen values of the given characteristic equation are:  |   |       |       |
| (i) 2, 1  | (i) 2, -1   |       |       |
| (ii) -2, 1  | (ii) -2, -1   |       |       |
| e. State variable analysis has several advantages overall transfer function as:   |   | [CO1] | [PO1] |
| (i) It is applicable for linear and non-linear and variant and time-invariant system  | (ii) Analysis of MIMO system  |       |       |
| (iii) It takes initial conditions of the system into account  | (iv) All of the mentioned   |       |       |
| f. The transfer function Y(s)/U(s) of a system described by the state equations   |   | [CO1] | [PO1] |
| dx/dt = -2x + 2u and y(t) = 0.5x is:  |   |       |       |
| (i) 0.5/(s-2)   | (ii) 1/(s-2)  |       |       |
| (iii) 0.5/(s+2)   | (iv) 1/(s+2)  |       |       |
| g. A transfer function of control system does not have pole-zero cancellation. Which one of the following statements is true? |   | [CO1] | [PO1] |
| (i) System is neither controllable nor observable   | (ii) System is completely controllable and observable                       |       |       |
| (iii) System is observable but uncontrollable   | (iv) System is controllable but unobservable                                |       |       |
| h. The analysis of multiple input multiple output is conveniently studied by;   |   | [CO2] | [PO1] |
| (i) State space analysis  | (ii) Root locus approach  |       |       |
| (iii) Characteristic equation approach  | (iv) Nicholas chart   |       |       |
| i. Asymptotic stability is concerned with...  |   | [CO3] | [PO1] |
| (i) A system not under the influence of the state   | (ii) A system under influence of input                                      |       |       |
| (iii) A system under influence of the output  | (iv) A system not under influence of input                                  |       |       |
| j. The capacitance, in force-current analogy, is analogous to   |   | [CO2] | [PO2] |
| (i) Momentum  | (ii) Velocity   |       |       |
| (iii) Displacement  | (iv) Mass   |       |       |

**PART – B: (Short Answer Questions)****(2 x 10 = 20 Marks)**Q.2. Answer ALL questions

- |   |       |       |
|---|-------|-------|
| a. State the condition for controllability by Kalman's Method.  | [CO#] | [PO#] |
| b. What is bilinear transformation?   | [CO1] | [PO2] |
| c. What do you understand by discrete time control system? Draw the block diagram of such a system.   | [CO3] | [PO1] |
| d. Show the relationship between s-plane and z-plane. Is the relationship one-to-one?   | [CO3] | [PO2] |
| e. The transfer function of a certain system is $\frac{Y(s)}{U(s)} = \frac{1}{5s^3+7s^2+6s+3}$ write down the A,B matrix pair of the equivalent state model | [CO2] | [PO1] |
| f. Find the z-transform of the sequence $x[n] = a^n u(-n-1)$  | [CO1] | [PO2] |
| g. Draw the characteristics of a relay with dead zone and hysteresis. State whether a relay is an incidental or intentional non-linearity                   | [CO2] | [PO2] |
| h. Define z- transform of a ZOH   | [CO4] | [PO1] |
| i. What is region of convergence?   | [CO3] | [PO2] |
| j. State initial and final value theorem with regard to z-transform.  | [CO2] | [PO1] |
|   | [CO3] | [PO2] |

**PART – C: (Long Answer Questions)****(15 x 4 = 60 Marks)**Answer ALL questions

- |  | Marks | [CO#] | [PO#] |
|--|-------|-------|-------|
| 3. a. Explain in details regarding the reconstruction of a signal from sampled signal  | 8     | [CO1] | [PO2] |
| b. The linear differential equation of a system is given by<br>: $c(k) = r(k+2) - 3r(k+1) + 2r(k)$<br>Where $c(k)$ = discrete output signal, $r(k)$ = discrete input signal.<br>Determine the stability of the system using Jury's stability test<br>(OR)                        | 7     | [CO3] | [PO3] |
| c. Determine the inverse Z-transform of following function<br>$\frac{C(z)}{R(z)} = \frac{z}{(1 + 0.5z)(1 + 2z)}$<br>(i) Using partial fraction method<br>(ii) Using Long division Method   | 8     | [CO3] | [PO3] |
| d. Explain the properties of Z- transform  | 7     | [CO2] | [PO2] |
| 4. a. A state variable description of a system is given by:<br>$\dot{x}(t) = \begin{bmatrix} 0 & 5 \\ -1 & -2 \end{bmatrix} x(t) + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u, \quad y = [1 \ 1]x(t)$<br>Find the state transition matrix of the system. Also draw the state diagram | 8     | [CO1] | [PO2] |
| b. Give a short note on Mapping between s-plane and z-plane<br>(OR)  | 7     |       |       |
| c. A linear time-invariant system has a transfer function:<br>$\frac{C(s)}{R(s)} = \frac{4s^2 + 3s + 5}{(s + 2)(s + 1)^2}$<br>Obtain the state model in Jordan canonical form.   | 8     | [CO2] | [PO3] |
| d. Describe in which aspects the linear system behaves differentially from linear system   | 7     | [CO4] | [PO1] |
| 5. a. Write short note on:<br>Phase plane method   | 8     | [CO2] | [PO2] |
| b. Write short note on Solution of discrete-time state equations<br>(OR)   | 7     | [CO2] | [PO2] |
| c. Write short note on Singular points   | 8     | [CO3] | [PO1] |
| d. Write short note on Describing function for dead zone Non linearity   | 7     | [CO1] | [PO2] |
| 6. a. Consider a LTI system described by the given differential equation:<br>$\frac{d^2 y(t)}{dt^2} + 3 \frac{d y(t)}{dt} + 2y(t) = r(t)$<br>Find the state space representation in diagonal canonical form  | 8     | [CO1] | [PO3] |
| b. Explain about pole placement using state feedback<br>(OR)   | 7     | [CO2] | [PO2] |
| c. Write the short note on controllability and observability.  | 8     | [CO3] | [PO1] |
| d. Explain the procedure of Jury's stability test.   | 7     | [CO1] | [PO2] |

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