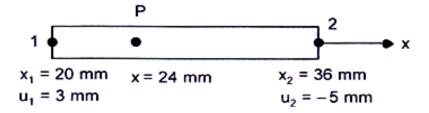
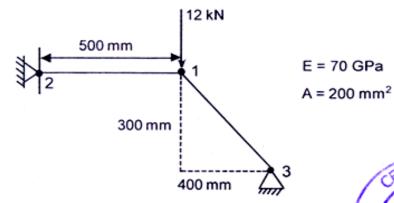
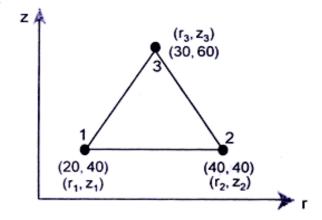
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			The figur					-		LUR		•	١,		
1.	Answer the following questions :										2×1	0			
•	(a)	What is meant by degrees of freedom?													
	(b)	During discretization, mention the places where it is necessary to place a													
	()	node.													
(c) Differentiate between global coordinates and local coordinates											nates.				
(d) State the characteristics of shape functions.     (e) What is isoparametric elements?															
<ul><li>(f) Write the shape function for a truss eleman</li></ul>									ınt.						
	(g)	State the necessary conditions for a problem to be axisymmetric.													
(h) Why polynomial type of interpolation function								tions	are n	nostly	used	l in F	EM?		
	(i)	List the advantages of post-processing.													
_	(j)	List the commercial FE codes available for finite element analysis.													
2.	(a)	Briefly describe the general steps of the finite element method.													
_	(b)	Explain the discretization process.													5
3.	(a)	Derive the shape function a 1D bar element.													
	(b)	A one dimensional bar is shown in Fig below. Calculate the following: 5  (i) Shape junction N1 and N2 at point P.													
		• •					•			احداد				d = 0	
			f displac -5mm, ca									ient a	t no	ue Z	IS



For the two bar truss shown in figure below, determine the displacements of node
 1 and the stress in element 1-3.



- 5. (a) Derive the shape function for a 2D beam element.
  - (b) Derive the shape functions for a Constant Strain Triangle element. •/
- (a) From basics derive the shape functions and strain-displacement matrix for axisymmetric element with constant strain triangular elements.
  - (b) The nodal co-ordinates for an axisymmetric triangular element areas shown in the figure below: Evaluate [B] matrix for this element.
    5



- Derive a finite element equation for one dimensional heat conduction with free end convection.
- 8. Write short notes on any two:

5×2

5

5

- (a) Rayleigh-Ritz method
- (b) Minimum potential energy principle
- (c) Advantages and disadvantages of FEM
- (d) Plain stress and Plain stress problem.