210	210 210 210 210 210 210 Registration No :	210
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210	210 210 PHYSICS 210 210 210 210 210 210 BRANCH : AEIE, AERO, AUTO, BIOMED, BIOTECH, CHEM, CIVIL, CSE, ECE, EEE, EIE, ELECTRICAL, ENV, ETC, FASHION, IEE, IT, ITE, MANUFAC, MANUTECH, MARINE, MECH, METTA, METTAMIN, MINEF MINING, MME, PE, PLASTIC, TEXTILE Time : 3 Hours Max Marks : 100	•
210	Q.CODE : C799 Answer Part-A which is compulsory and any four from Part-B. ²¹⁰ The figures in the right hand margin indicate marks. Answer all parts of a question at a place.	210
210	a) Write the quantum mechanical operator form of velocity in three dimension. ²¹⁰ a. $i \hbar \nabla$ ²¹⁰ b. $-i 2 \frac{\hbar}{m} \nabla$ c. $214 i \frac{\hbar^2}{m} \nabla$ ²¹¹ d. $-i \frac{\hbar^2}{2m} \nabla^2$ ²¹⁰	(2 x 10) 210
210	 b) Find the maximum velocity of a particle executing Simple Harmonic Motion (S.H.M) of a period 10π second and amplitude 5×12⁻²m. a. 1x 10⁻²sec b. 2x 10⁻²sec c. 3x 10⁻²sec d. 4x 10⁻²sec c) X-rays with wave length λ = 1A⁰ are scattered from a carbon block. The scattered radiation is viewed at 90⁰ to the incident beam. What is the Compton shift Δλ? a. 2.4x10⁻¹² m b. 3.4x10⁻¹² m c. 4x10⁻¹² m d. none d) Which of the following relation(s) can be used to determine de Broglie's wavelength 	210
	associated with a particle of mass 'm' and having energy E? a. $\frac{h}{\sqrt{2mqv}}$ b. $\frac{h}{\sqrt{3mkT}}$ c. $\frac{h}{\sqrt{2mE}}$ d. All of the above	
210	 e) 21 Einstein's photoelectric equation is based on law of conservation of : 210 a. Momentum b. angular momentum c. energy d. none of the above f) Rayleigh-Jeans law is correct only in the a. low wavelength region of black body radiation spectrum; 	210
210	b. High wavelength region; 210 c. entire wavelength region; 210 210 210 d. None of these g) Consider a diffraction grating of width 5 cm with slit width 0.0001 cm separated by a distance of 0.0002 cm. What are grating element and maximum order would be observable if $\lambda = 5.5 \times 10^{-5}$ cm. a. 5×10^{-4} cm and 6 b. 5×10^{-4} cm and 5	210
210	c. $3x10^{-4}$ cm and 5 ²¹⁰ d. $3x10^{-4}$ cm and 6 ²¹⁰ ²¹⁰ ²¹⁰ ²¹⁰ ²¹⁰	210

		that of 24 th ring was 0.8 cm. The radius of curvature of plano-convex lens is 100 cm. Calculate the wavelength of light source.		
	i)	The resonant frequency of a forced oscillator of natural frequency ω_0 in a medium of damping coefficient γ is a. $\omega_r = \omega_0 b$.		
	21	b. $\omega_r = (\omega_0^2 - \gamma^2)^{\frac{1}{2}}$ c. $\omega_r = (\omega_0^2 - \gamma^2)^{\frac{1}{4}}$ d. $\omega_r = (\sqrt{\gamma^2} - \omega_0)$ 210 210 210 210		
	j)	If on rotating the analyzer the emergent light does not change in intensity ,then it is:a. either plane polarized or partially polarizedb. either unpolarised or circularly polarized		
		 c. either partially polarized or elliptically polarized d. only circularly polarized. 		
	21	0 210 210 210 210 210 210		
Q2	a)	Answer the following questions: <i>Short answer type:</i> What is damping? Does the principle of conservation of energy holds good in case	(2 x 10)	
	aj	of damped vibration? Explain.		
	b)	A simple pendulum of one meter length is hang at one end. Considering the oscillations to be of small displacement, find the period of oscillation if the mass of the pendulum is 2.0 kg. ($g = 9.8 \text{ m/s}^2$)		
	c)	What is the physical significance of probability density?		
	d) ≤⊺	Find the directional derivative of the scalar function $\phi = 2xz^4 - x^2y$ at the point (2, 1-1).		
	e)	What is the basic difference between classical and quantum mechanical		
	f)	measurements. Differentiate between Fresnel and Fraunhofer's diffraction.		
	g)	A particle is trapped in a one-dimensional box of length 'L' is described by the		
	b)	normalized wave function $\psi = ax$; what is the expectation value of position <x>?</x>		
	117 21	If $\frac{1}{2}$, $\frac{1}{3}$ and $\frac{1}{6}$ are the probabilities that the system be in three states represented by		
		the eigen functions Ψ_1 , Ψ_2 and Ψ_3 and energy eigen values 2 eV, 3 eV and 6 eV respectively. Write down the eigen function of the system and find out the energy expectation value for the system.		
	i) j)	What is pair production? What do you mean by displacement current?		
<u></u>	a) 01	Part – B (Answer any four questions)	(10)	
Q3		Give the theory of Newton's ² ring and how from their study ² the wavelength of monochromatic light can be determined? Explain why the central fringe is dark? How can it be made bright?	(10)	
	b)	If x is the displacement, ω is the angular frequency, A is the amplitude of an object executing SHM, then discuss about average kinetic and average potential energy of the system. Draw variation of kinetic energy and potential energy with displacement.	(5)	
Q4	a) 21	State and interpret Heisenberg's uncertainty principle. Using uncertainty principle ^e stimate the ground state energy of a linear harmonic oscillator. ²¹⁰ ²¹⁰	(10)	
	b)	Normalize the wave function for given $\psi_n(x) = \begin{cases} A \sin\left(\frac{n\pi x}{a}\right) & 0 < x < a \\ 0 & otherwise \end{cases}$	(5)	
Q5	a) b) c) ²¹	State Poynting theorem. Explain how the pointing vector explains the energy flow. Derive a relation between magnitudes of electric vector and magnetic vector. Magnetic vector potential for current network is given by $\vec{A} = \hat{i}xy^2 + \hat{j}yz^2 + \hat{k}zx^2$, oFind the magnetic induction at (1,1,1).	(8) (5) (2)	

210	Q6	21 a) b) c)	Derive the con with constant p Mention the sin A parallel bear 4300 lines/cm.	hase difference nilarities and dit n of light is in A second orc	e. fference betweei cident normally	210 structive interferon n a zone plate ar on a plane diffro is found to be ctral line.	nd a convex lens action grating h	aving	(6) (5) (4)	210
210	 Q7 a) 210 Explain the phenomenon of 21 double refraction in a calcite10 crystal. Give 2 the construction and working of half wave plate and quarter wave plate. b) Two Nicol prisms are crossed to each other. Now one of them is rotated through 60°. What percentage of incident unpolarised light will pass through the system. 								10) (5)	210
210	Q8	a) b)21	effect. How quiphysics.	antum mechai	nical approach	, mention the line overcome the line	mitations of clas	ssical	10) (5)	210
	 b)²¹ Write down the differential and Integral form of Maxwell's equations. 210 Q9 a) Write down the equation of motion for a damped harmonic oscillator of mass 'm' and obtain its solution in different condition. b) If <i>E</i> = E_x î + E_y ĵ + E_z k̂, Prove that div(Curl<i>E</i>) = 0, i.e., ∇ . (∇ × <i>E</i>) = 0 								10) (5)	
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