



**Gandhi Institute of Engineering and Technology University, Odisha, Gunupur
(GIET UNIVERSITY)**

M.Sc. (Fourth Semester – Regular/ Supplementary) Examinations, April – 2026
24MPHPC24001 – Relativistic Quantum Mechanics & Field Theory
(Physics)

Time: 3 hrs

Maximum: 60 Marks

Answer ALL questions
(The figures in the right hand margin indicate marks)

PART – A**(2 x 5 = 10 Marks)**Q.1. Answer **ALL** questions

- | | CO # | Blooms
Level |
|---|------|-----------------|
| a. Discuss the drawbacks of K.G equation. | CO1 | K1 |
| b. Discuss the properties of Gamma matrices. | CO2 | K1 |
| c. Define field, field strength and field function. | CO3 | K1 |
| d. Compare a neutral scalar meson field and a complex scalar meson field. | CO4 | K1 |
| e. Explain the creation, annihilation and number operators. | CO5 | K1 |

PART – B**(10 x 5 = 50 Marks)**Answer **ALL** the questions

- | | Marks | CO # | Blooms
Level |
|---|-------|------|-----------------|
| 2. a. What is K.G equation? Derive the Klein-Gordan equation for a free particle.
(OR) | 10 | CO1 | K1 |
| b. Discuss about the Dirac's hole theory. Explain about the positive and negative energy states? | 10 | CO1 | K1 |
| 3.a. Derive the expression for the Klein Gordan equation in an Electromagnetic field for a zero spin particle.
(OR) | 10 | CO1 | K2 |
| b. Show that , $(\alpha.B) (\alpha.C) = B.C + i\sigma' (B \times C)$, where α represents three Dirac matrices and B and C are usual three dimensional matrices and σ' is a 4x4 matrix related to Pauli matrices. | 5 | CO1 | K2 |
| c. Discuss about properties of the Dirac's matrices and gamma matrices. | 5 | CO1 | K2 |
| 4.a. Derive Dirac equation for a particle in a central force field and discuss about the spin of the particle.
(OR) | 10 | CO2 | K2 |
| b. What is Spin orbit coupling? Derive the expression for the spin orbit interaction energy. | 10 | CO2 | K1 |
| 5.a. What are the important steps towards field quantization? Explain Noether theorem and its consequence.
(OR) | 10 | CO3 | K1 |
| b. Derive the Lagrangian in terms of field functions for a neutral scalar field. | 5 | CO4 | K1 |
| c. Derive the Lagrangian in terms of field functions for a complex scalar field. | 5 | CO4 | K1 |
| 6.a. What is a field? Formulate the Hamiltonian for the field. Derive the Poisson bracket formulation for the fields.
(OR) | 10 | CO4 | K1 |
| b. Express Energy in terms of creation, annihilation and number operators for a neutral scalar field. | 10 | CO5 | K1 |

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