

# Gandhi Institute of Engineering and Technology University, Odisha, Gunupur (GIET University)

B. Tech (Fifth Semester - Regular) Examinations, November – 2024

**22BCSPC35003/22BCMPC35003/22BCDPC35003- Formal Languages and**

## Automata Theory

(CSE, CSE(AIML), CSE(DS))



Time: 3 hrs

Maximum: 70 Marks

**Answer ALL questions**

(The figures in the right hand margin indicate marks)

### PART – A

(2 x 5 = 10 Marks)

Q.1. Answer **ALL** questions

- |  | CO # | Blooms Level |
|--|------|--------------|
| a. Describe the DFA with its tuples.   | CO1  | K2           |
| b. Construct a DFA for the following regular expression<br>$(a+b)^*abb$  | CO2  | K3           |
| c. Construct the PDA for the language<br>$L = \{a^{3n}b^n : n \geq 1\}$  | CO3  | K3           |
| d. Why Church Turing hypothesis is important? Write the key models of computation related to Church Turing hypothesis. | CO4  | K3           |
| e. Write the difference between Recursive and Recursively Enumerable sets with suitable example.                       | CO4  | K2           |

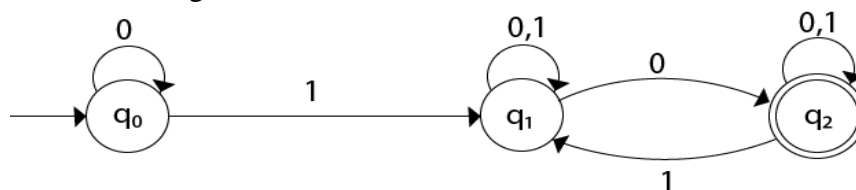
### PART – B

(15 x 4 = 60 Marks)

Answer All the questions

2. a. Construct a DFA for accepting the binary numbers, which are not divisible by 3.  
b. Convert the following NFA to DFA.

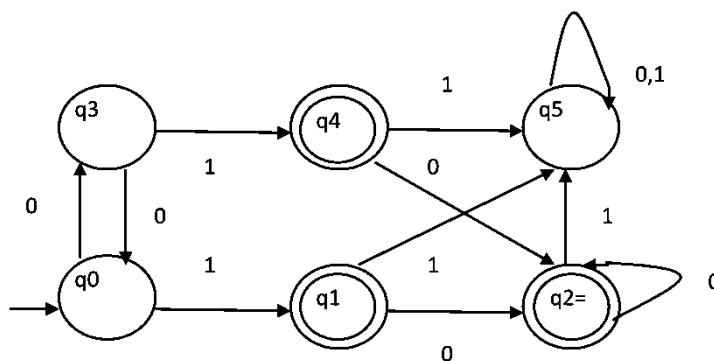
Mark	CO #	Blooms Level
5		
8	CO1	K4
7	CO1	K4



(OR)

- c. Minimize the number of states of the given DFA.

8 CO1 K4



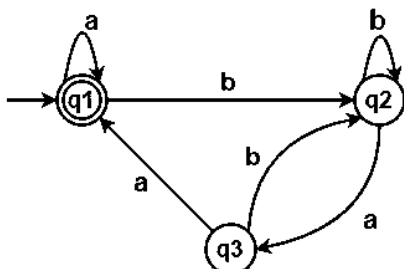
- d. Construct  $\epsilon$ -NFA of Regular Language  $L = 0(0+1)^*1$  and  $L = (00)^*1(11)^*$

7 CO1 K4

- 3.a. Write Regular Expression for the language having a string which should have atleast one 0 and atleast one 1. 8 CO2 K3
- b. Write the regular expression for the language L over  $\Sigma = \{0, 1\}$  such that all the string do not contain the substring 01. 7 CO2 K3

(OR)

- c. Construct the regular expression which represents the regular set accepted by the following finite automation. 8 CO2 K4



- d. “Regular expressions provide a powerful tool for textual search in computers” Justify the statement with suitable example. 7 CO2 K3
- 4.a. Design a Turing machine for 2’s complement of any binary number. 8 CO3 K4
- b. Construct a PDA equivalent to the following context-free grammar  

$$L = \{0^n 1^m 2^m 3^n \mid n \geq 1, m \geq 1\}$$
 7 CO3 K4
- (OR)
- c. Construct a PDA for language  

$$L = \{0^n 1^m \mid n \geq 1, m \geq 1, m > n+2\}$$
 8 CO3 K4
- d. Describe CFG with its tuples. 7 CO3 K3
- 5.a. Explain Polynomial time reducibility and how it is important in proving a problem is in NP-Complete? Illustrate with suitable Example. 8 CO4 K3
- b. Prove that the Travelling Salesman Problem is NP-complete. 7 CO4 K4

(OR)

- c. Explain how the Ackermann function serves as an example of a total, computable, but non-primitive recursive function. 8 CO4 K3
- d. Explain Gödel numbering. Discuss the importance of Gödel numbering in linking syntax and semantics of formal systems. 7 CO4 K3

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